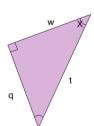


mobius

Trigonometry - Labeling of Side Ratios



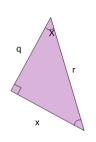
1



What would the ratio of opposite over adjacent be with respect to angle 'X'

Α	$rac{w}{q}$	В	$rac{t}{q}$
С	$rac{w}{t}$	D	$rac{t}{w}$
E	$rac{q}{w}$	F	$rac{q}{t}$

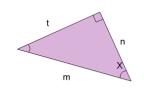
2



What would the ratio of opposite over hypotenuse be with respect to angle 'X'

Α	$rac{x}{q}$	В	$rac{r}{q}$	
С	$rac{r}{x}$	D	$rac{x}{r}$	
E	$rac{q}{x}$	F	$rac{q}{r}$	

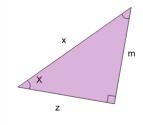
3



What would the ratio of adjacent over hypotenuse be with respect to angle 'X'

Α	$rac{n}{t}$	В	$\underline{\underline{m}}$	
	t		n	
С	t	D	t	
	_			
	m		n	
Е	n	F	m	
	m		\overline{t}	

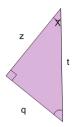
4



What would the ratio of opposite over adjacent be with respect to angle 'X'

Α	$\underline{\underline{m}}$	В	$\frac{x}{-}$	
	z		$\frac{\overline{z}}{z}$	
С	m	D	z	
	\overline{x}		\overline{m}	
Е	\boldsymbol{x}	F	z	
	\overline{m}		$rac{z}{x}$	

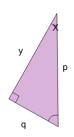
5



What would the ratio of opposite over hypotenuse be with respect to angle 'X'

Α	$rac{z}{q}$	В	$rac{q}{t}$
	q		t
С	q	D	z
	$rac{q}{z}$		$rac{z}{t}$
Е	$rac{t}{q}$	F	t
	_		_
	q		\overline{z}

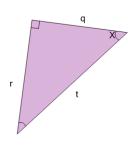
6



What would the ratio of opposite over adjacent be with respect to angle 'X'

Α	$rac{q}{p}$	В	$rac{p}{y}$
С	$rac{q}{y}$	D	$rac{y}{q}$
E	$rac{y}{p}$	F	$rac{p}{q}$

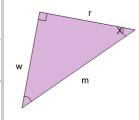
7



What would the ratio of opposite over hypotenuse be with respect to angle 'X'

Α	q	В	r
	\overline{t}		$\stackrel{-}{q}$
	t		q
С	$rac{q}{r}$	D	t
	_		_
	r		\overline{q}
Е	t	F	r
	_		_
	$\overset{-}{r}$		t

8



What would the ratio of adjacent over hypotenuse be with respect to angle 'X'

Α	r	В	m
	_		
	w		w
С	w	D	m
	_		
	r		r
Е	r	F	w
	m		m